

Hashed Alpha Testing

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GDC 2017



Why Alpha Test?

- Alpha testing has advantages over alpha blend
 - Order independent, cheap, for forward or deferred
 - Extends to MSAA, via alpha-to-coverage



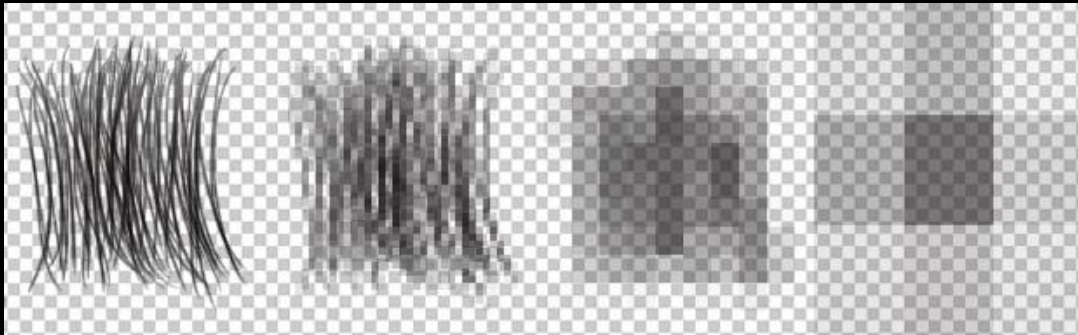
But... Problem

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 - Order independent, cheap, for forward or deferred
 - Extends to MSAA, via alpha-to-coverage
- But alpha-tested geom can disappear w / distance
 - Why? Cannot prefilter binary queries



New Solution: Hashed Alpha

- Use stochastic sampling to avoid this problem



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- Basic idea is replace standard test:

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if ( color.a <  $\alpha_T$  ) discard;
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- With this stochastic test:

```
if ( color.a < drand48() ) discard;
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- With this stochastic test:

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if ( color.a < drand48() ) discard;
```

- But this flickers like crazy
- Want temporal stability, esp. under slight motion
- Use stable, procedural noise:

```
if ( color.a < hash( ... ) ) discard;
```



What Does this Look Like?



Talk Takeaways

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 - Converges to ground truth (OIT) with enough random samples

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- By *constraining* hash inputs:
 - Control noise behavior
 - Ensure samples remain largely stable between frames

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- *Stochasm* addresses problems with alpha testing
 - Converges to ground truth (OIT) with enough random samples
- *Hashing* can give noise stable over time
- By *constraining* hash inputs:
 - Control noise behavior
 - Ensure samples remain largely stable between frames
- Also applies to alpha-to-coverage, screen-door transparency, etc.

Do Stochastic Alpha Thresholds Work?

Stochastic Alpha Thresholds Work



Alpha test



1 sample



4 samples



16 samples



64 samples



OIT with
alpha blend

Stochastic Alpha Thresholds Work

Traditional Alpha

```
if ( color.a < 1/2 ) discard;
```

*1 sample, selected uniformly
on interval [0..1]*

Alpha test

Alpha-to-Coverage

```
if ( color.a < 1/8 ) discard;
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if ( color.a < 3/8 ) discard;
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if ( color.a < 5/8 ) discard;
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if ( color.a < 7/8 ) discard;
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Stochastic Alpha (aka stochastic transparency)

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But stochastic algorithms change each frame, causing severe temporal flickering!

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 - See “*Numerical Recipes*” for an example PRNG using DES encryption

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- Hashing long known as a way of ‘randomizing’
 - See “*Numerical Recipes*” for an example PRNG using DES encryption
- Good hash function properties:
 - **Determinism** given fixed input i.e., gives same value each frame
 - **Defined range** of outputs i.e., in range [0...1)
 - **Uniformity** over output range i.e., uniform outputs in range [0...1)

What Does This Mean?

- Consider the following, with good hash function `hash()`:

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float hashSample = hash( myPosition );
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- Gives noisy `hashSample` like RNG per sample, but stays fixed between frames

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- Gives noisy `hashSample` like RNG per sample, but stays fixed between frames

- **Important caveat!** Tiny camera or object motions change hash sample, as

```
hash( myPosition )  $\neq$  hash( myPosition +  $\Delta$  )
```

- So these give different random values \rightarrow flicker under motion

What Does “Stability” Look Like?

Frame-to-frame diff



Unstable



Stable

Frame-to-frame diff



Achieving Hash Stability

- Key: Discretize hash inputs in appropriate coordinate frame
 - For small Δ :

```
hash( floor( myPosition ) ) = hash( floor( myPosition +  $\Delta$  ) )
```

- Tweaking this, allows us to control the *scale* of the stable noise, e.g.:

```
hash( floor( myPosition / scale ) * scale )
```

What Does A Hash Scale Look Like?



1x1 pixel scale



3x3 pixel scale



9x9 pixel scale

Key: Coordinate Choice For Hash Input

- Need to discretize in appropriate coordinates
- Same geometry should yield same hash, under:
 - Camera translation or rotation
 - Object translation or rotation
 - Ideally object skinning and deformation

Key: Coordinate Choice For Hash Input

	Are hash outputs fixed under...					
	Camera Translate	Camera Rotate	Object Translate	Object Rotate	Object Skinning	Object Deform
Screen-Space <u>Coords</u>	✓*	✗	✗	✗	✗	✗
Eye-Space <u>Coords</u>	✓*	✗	✗	✗	✗	✗
Norm. Device <u>Coords</u>	✓*	✗	✗	✗	✗	✗
Texture-Space <u>Coords</u>	✓	✓	✓	✓	✓	?
World-Space <u>Coords</u>	✓	✓	✗	✗	✗	✗
Object-Space <u>Coords</u>	✓	✓	✓	✓	✓	?

?’s work for deformation (and skinning) assuming hashing of pre-deformed coordinates

* = being somewhat generous

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Clear choices:

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We selected object coordinates; can discuss why, offline

?’s work for deformation (and skinning) assuming hashing of pre-deformed coordinates

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Hashed Alpha Test Code

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// Find the discretized derivatives of our coordinates
float maxDeriv = max( length(dFdx(objCoord.xyz)),
                    length(dFdy(objCoord.xyz)) );
float pixScale = 1.0/(g_HashScale*maxDeriv);

// Find two nearest log-discretized noise scales
vec2 pixScales = vec2( exp2(floor(log2(pixScale))),
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// Compute alpha thresholds at our two noise scales
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// Factor to interpolate lerp with
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Use 2 scales, one smaller & one larger than desired scale; akin to mipmapping

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This math corrects for this non-uniformity

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Clamp; alpha threshold of 0 makes no sense

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```

Specific hash not important, if uniform and takes $\mathbb{R}^3 \rightarrow [0..1]$

We use:

```
float hash( vec2 in ) {
    return fract( 1.0e4 * sin( 17.0*in.x + 0.1*in.y ) *
                ( 0.1 + abs( sin( 13.0*in.y + in.x ) ) )
                );
}

float hash3D( vec3 in ) {
    return hash( vec2( hash( in.xy ), in.z ) );
}
```


Hashed Alpha Test Code

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// Find the discretized derivatives of our coordinates
float maxDeriv = max( length(dFdx(objCoord.xyz)),
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float pixScale = 1.0 / (g_HashScale * maxDeriv);

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```

User parameter to control size of noise:

1.0 = roughly pixel sized noise

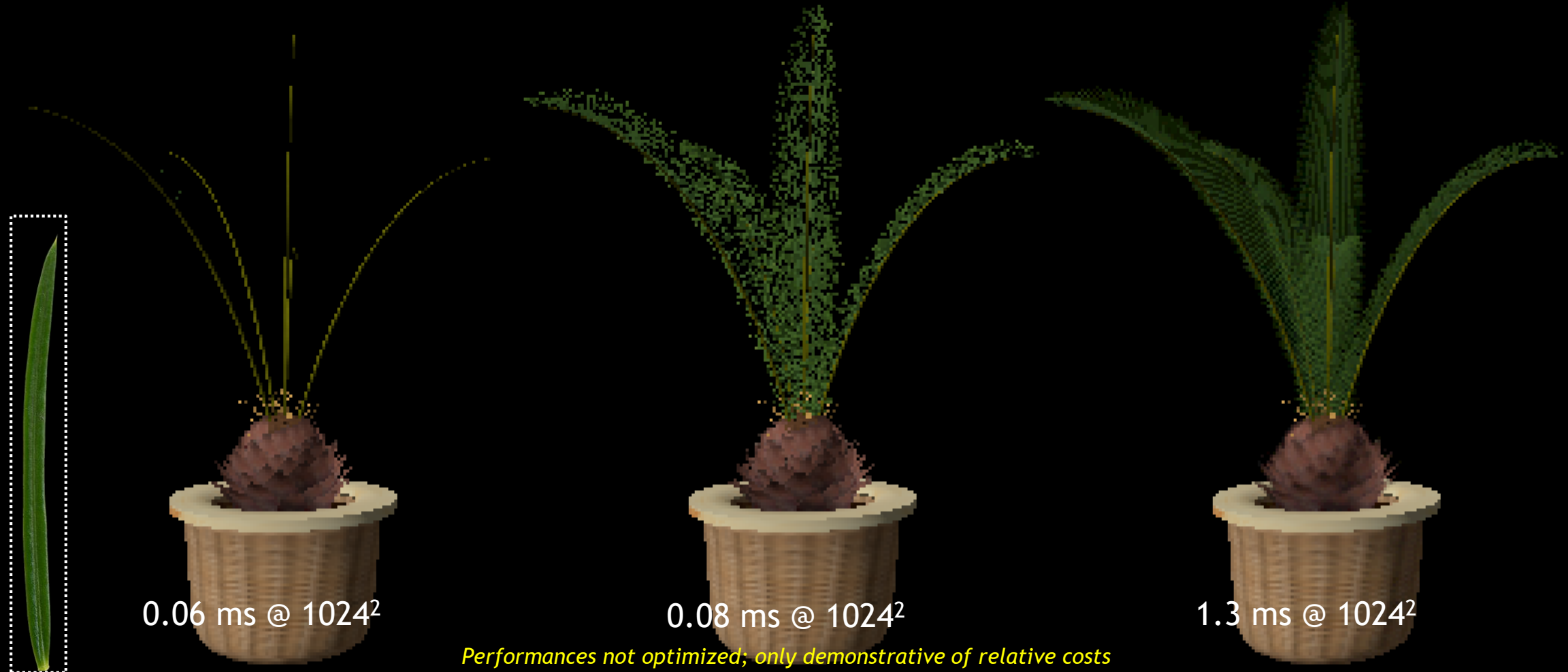
2.0 = roughly 2x2 pixel sized noise

Results

Alpha test $\alpha_t = 0.5$

Hashed alpha test

Ground truth OIT



Performances not optimized; only demonstrative of relative costs

Results

Adjust alpha [Castaño 2010]

Hashed alpha test

Ground truth OIT



0.06 ms @ 1024^2



0.08 ms @ 1024^2

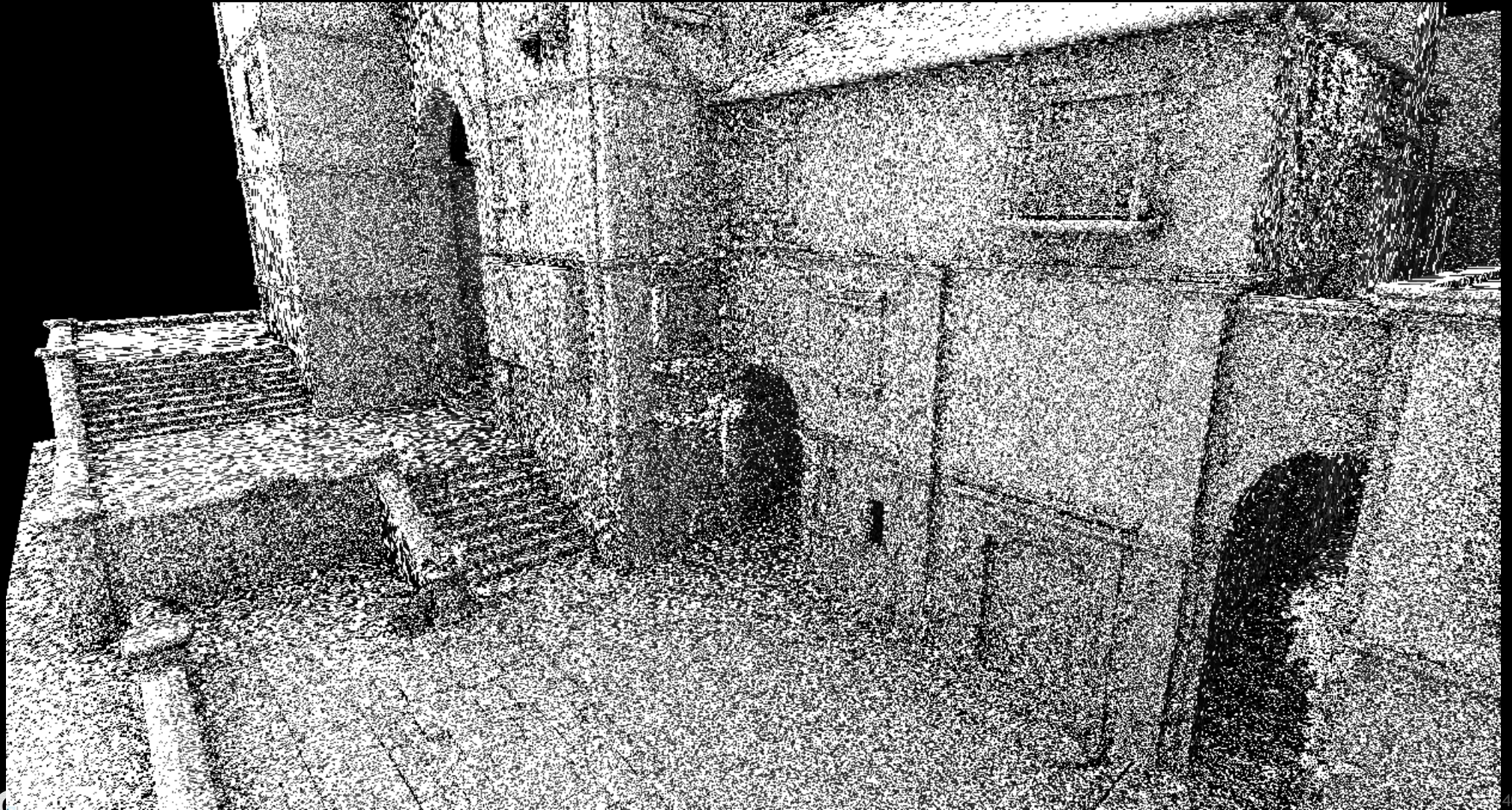


1.3 ms @ 1024^2

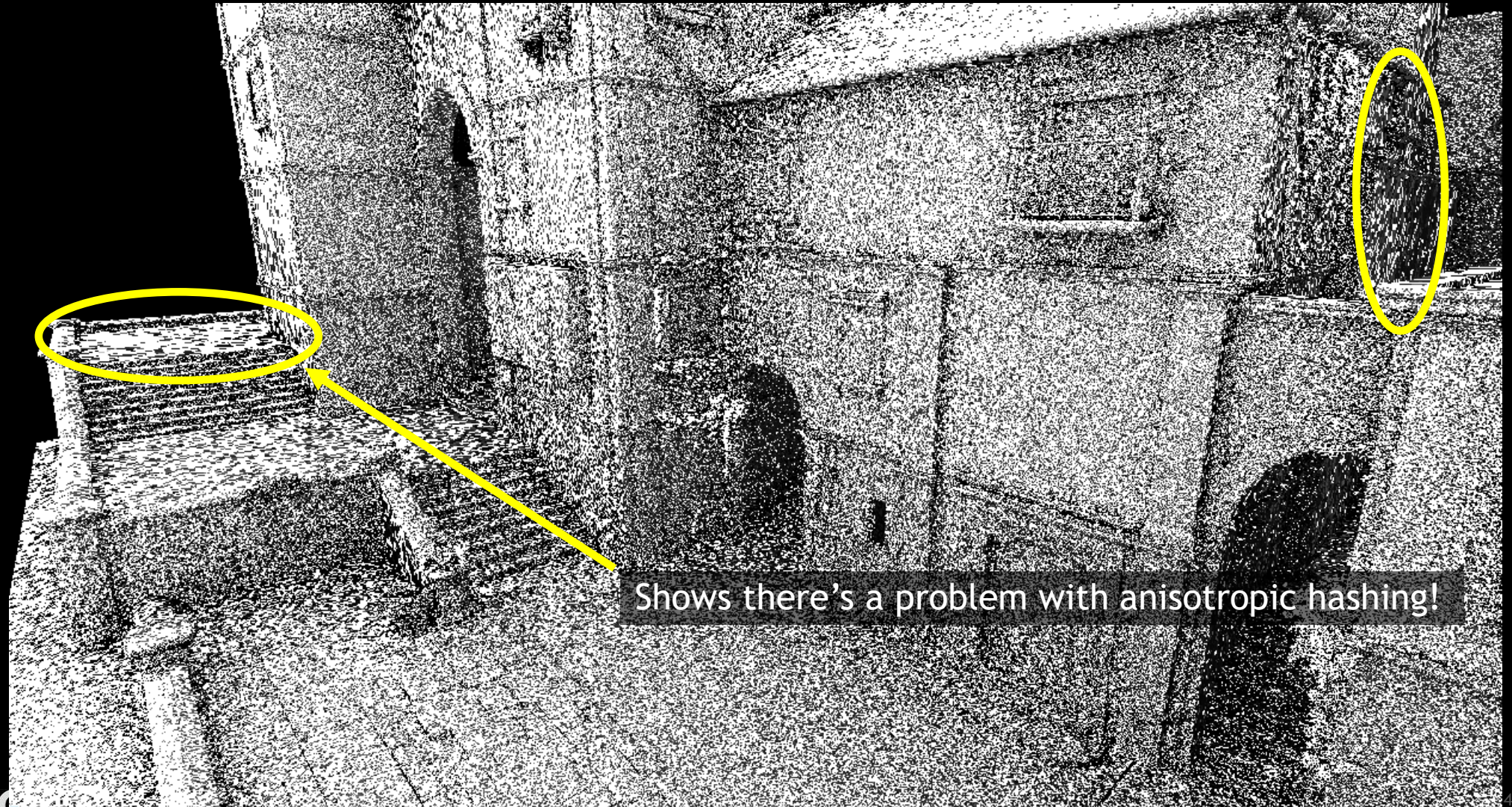
Performances not optimized; only demonstrative of relative costs

But Not Just Alpha!

Hashed Sampling Has Other Uses



Hashed Sampling Has Other Uses



Shows there's a problem with anisotropic hashing!

Hashed Sampling Has Other Uses



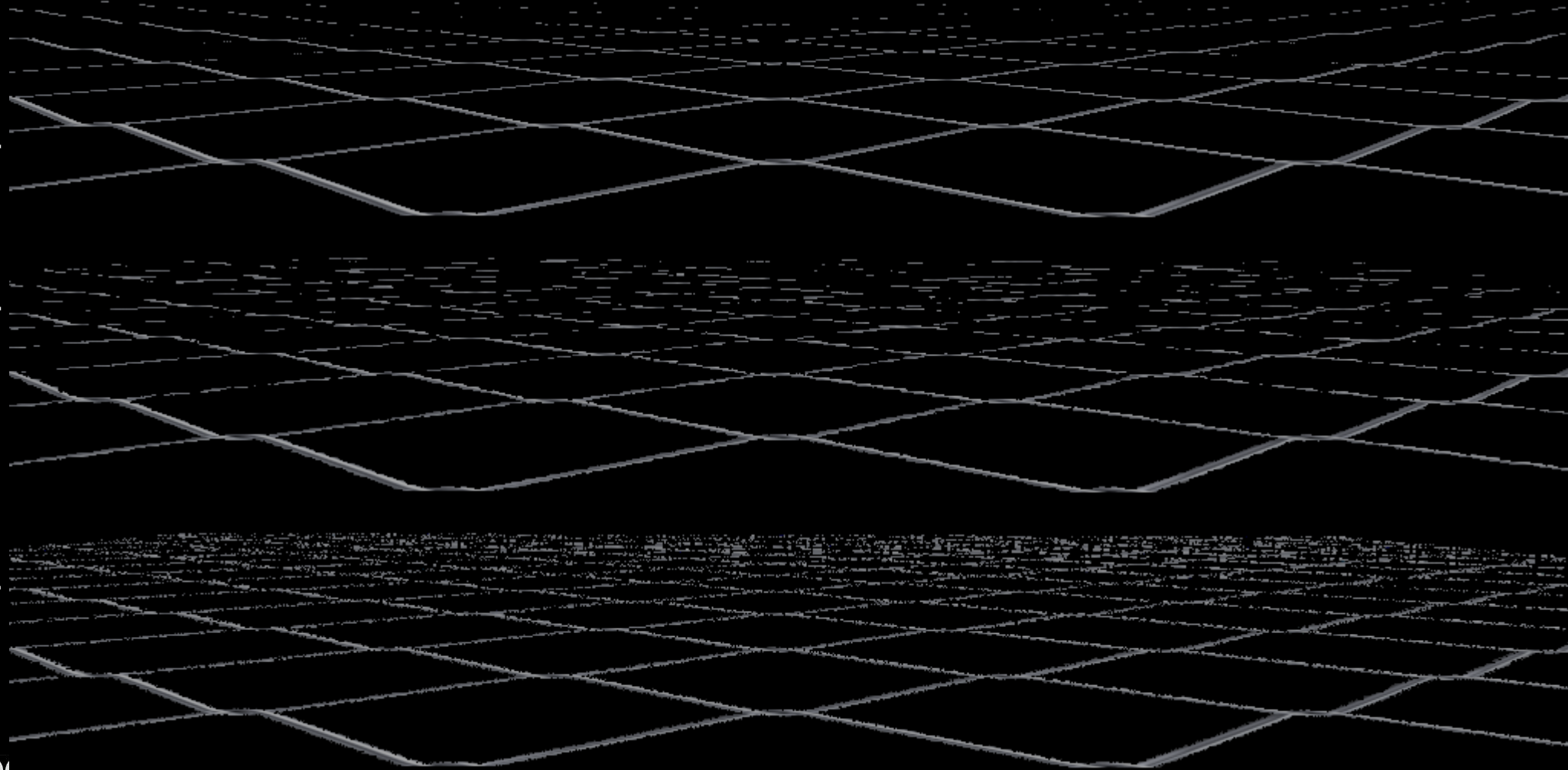
Can be addressed, mostly, by updating hash inputs

Hashing At Grazing Angles

Alpha test

Hashed alpha

Anisotropic
G hashed alpha



Results

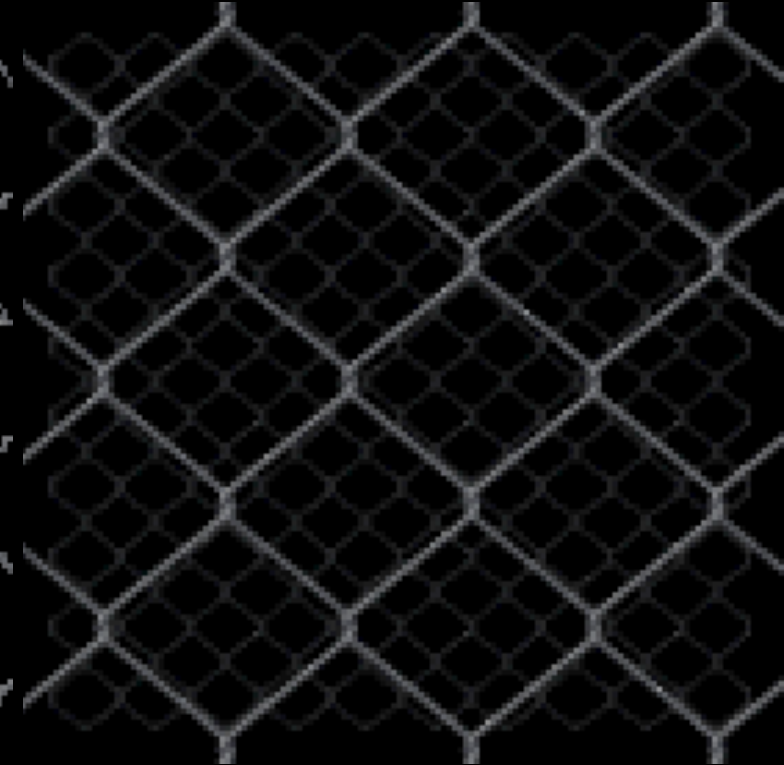
Alpha test $\alpha_t = 0.5$



Hashed alpha test



Ground truth OIT

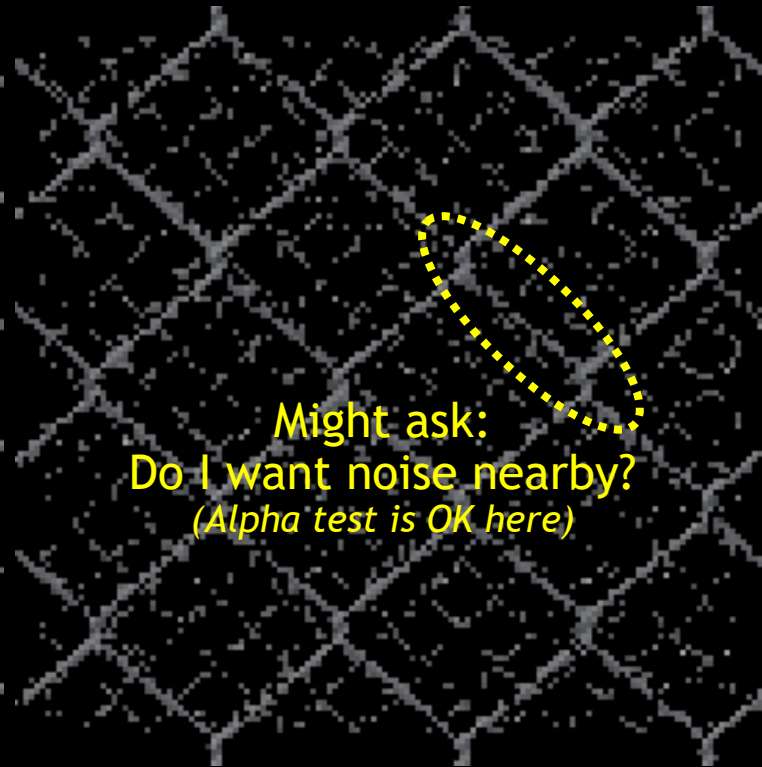


Results

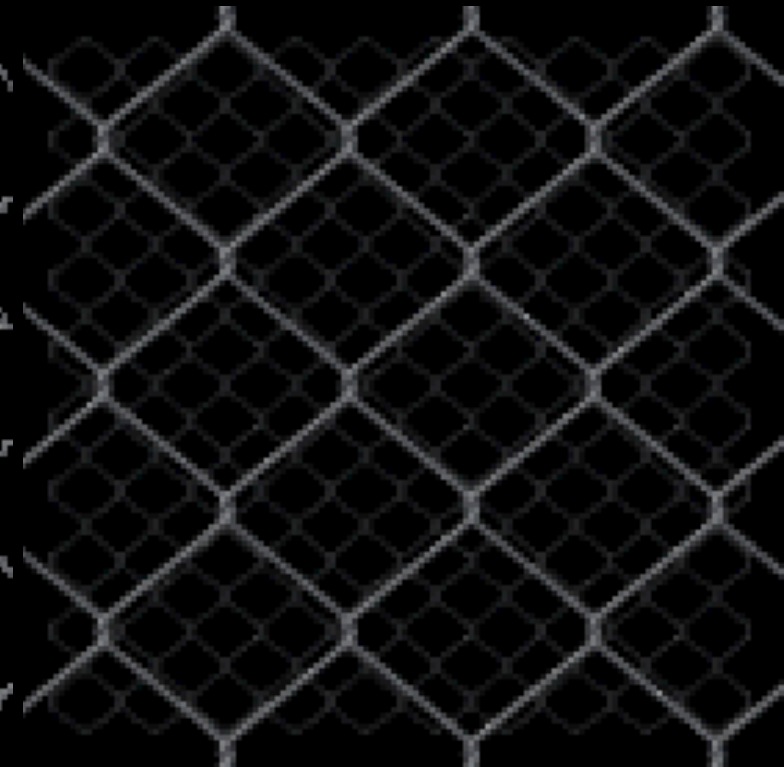
Alpha test $\alpha_t = 0.5$



Hashed alpha test



Ground truth OIT



Results

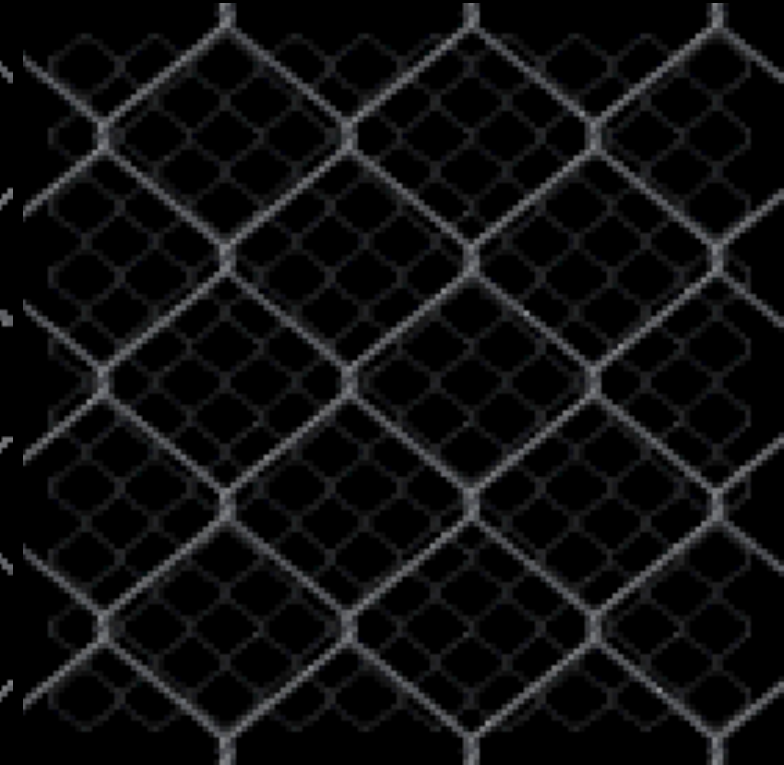
Adjust alpha [Castaño 2010]



Hashed alpha test
(Faded in with LOD)

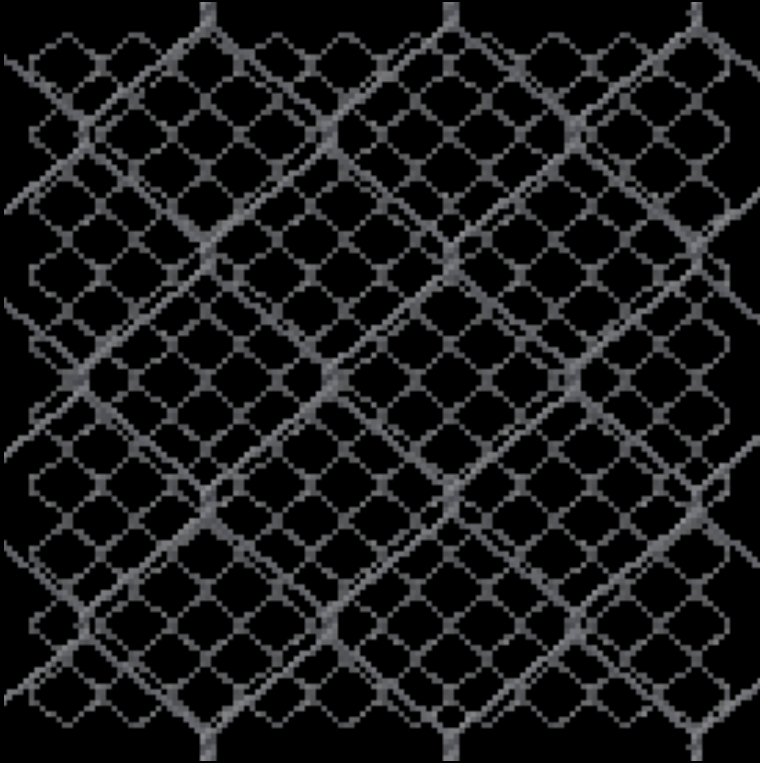


Ground truth OIT



Results

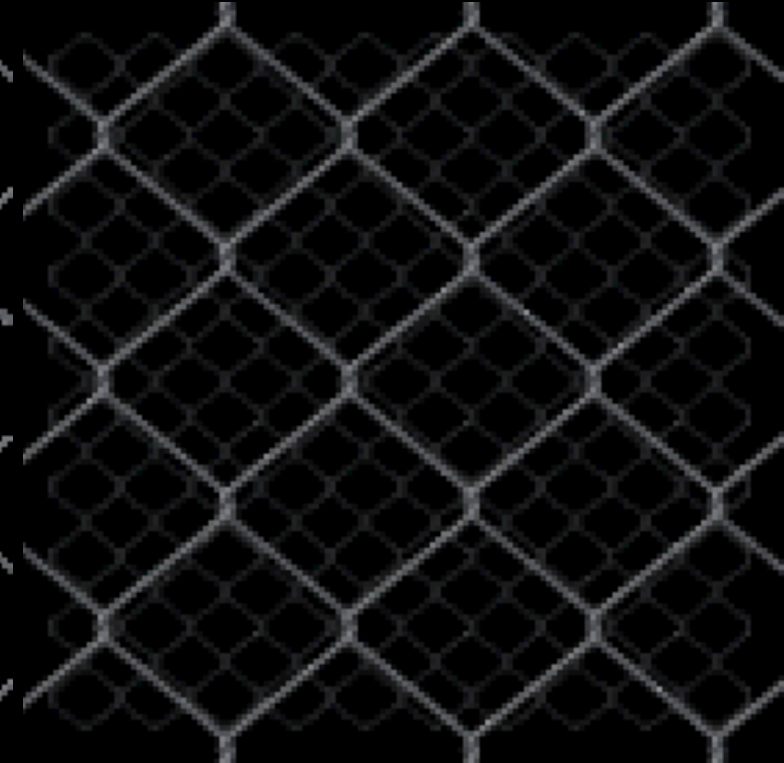
Per-LOD threshold adjust
(Manual, "artist" driven)



Hashed alpha test
(Faded in with LOD)



Ground truth OIT



Helps With MSAA and A2C



Temporal Antialiasing

No Temporal Antialiasing

Alpha

Hashed Alpha

Ground Truth



With Temporal Antialiasing

Alpha

Hashed Alpha

Ground Truth



Temporal Antialiasing

- Might think, “based on stochastic sampling; of course TAA works well!”
 - But hashed alpha designed for *stability* under tiny camera motions, e.g. TAA jitter

Temporal Antialiasing

- Might think, “based on stochastic sampling; of course TAA works well!”
 - But hashed alpha designed for *stability* under tiny camera motions, e.g. TAA jitter
- A couple approaches:
 - Reduce global noise scale to < 1 pixel
 - TAA integrates sub pixel noise samples
 - Jitter offset in hash space;
 - Hash on $\text{objPos} + \text{offset}[i]$ rather than objPos for relatively large, uncorrelated $\text{offset}[i]$
 - Jitter the alpha threshold
 - Compute $\alpha_T = \text{hash}(\text{objPos})$, use thresholds $\text{fract}(\alpha_T + i/N)$ for i in $[0..N)$

Summary

- Introduce new approach for alpha testing:
 - Alpha threshold cheaply & procedurally selected via a hash function
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- Introduce new approach for alpha testing:
 - Alpha threshold cheaply & procedurally selected via a hash function
 - Gives stable noise; roughly as stable as traditional alpha test
- Still use one alpha test per pixel, allowing:
 - Use in both deferred and forward pipelines
 - Run on older hardware; no new (or recent) features required
- Requires nothing in asset pipeline
 - Directly uses mip-chain's alpha channels representing pre-filtered visibility

For Questions:

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Paper: http://www.cwyman.org/papers/i3d17_hashedAlpha.pdf



Thanks!